

Radio signatures of cosmic-ray showers with deep in-ice antennas



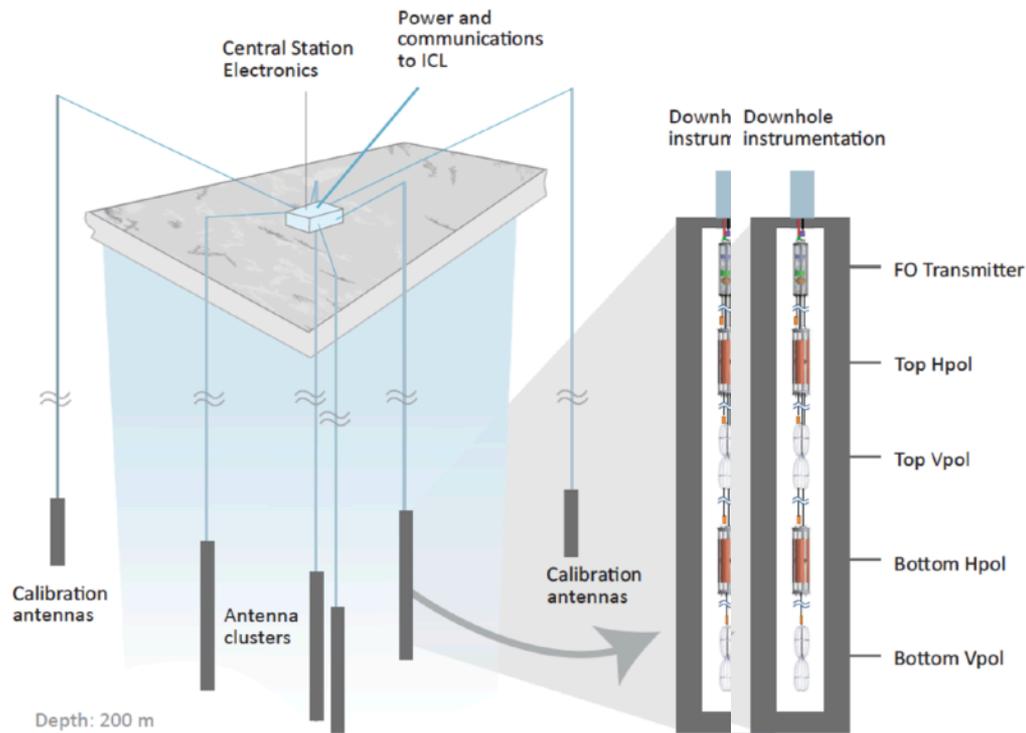
Simon Chiche

Nicolas Moller, Abby Bishop, Krijn de Vries,
Simon de Kockere, Simona Toscano, Uzair Latif

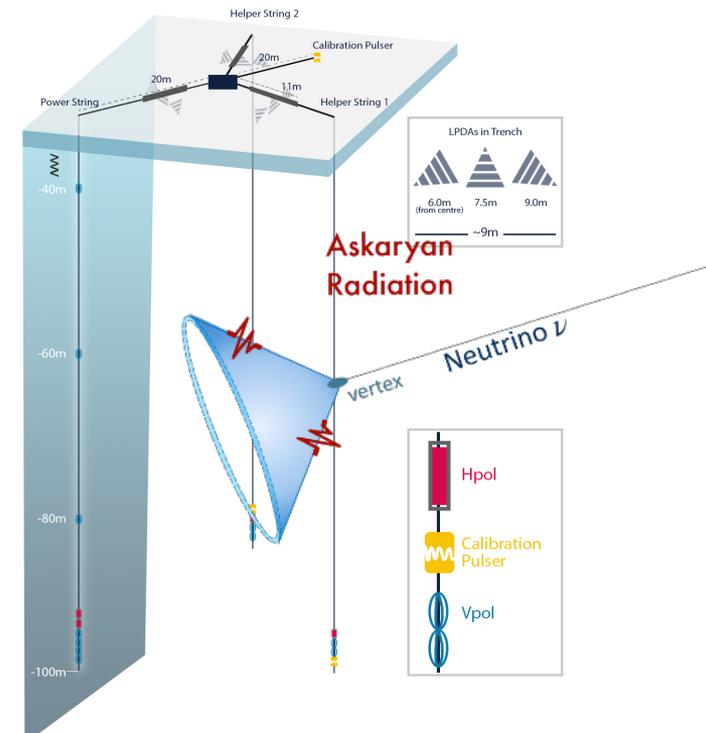


In-ice radio detection of neutrinos

ARA (South Pole)



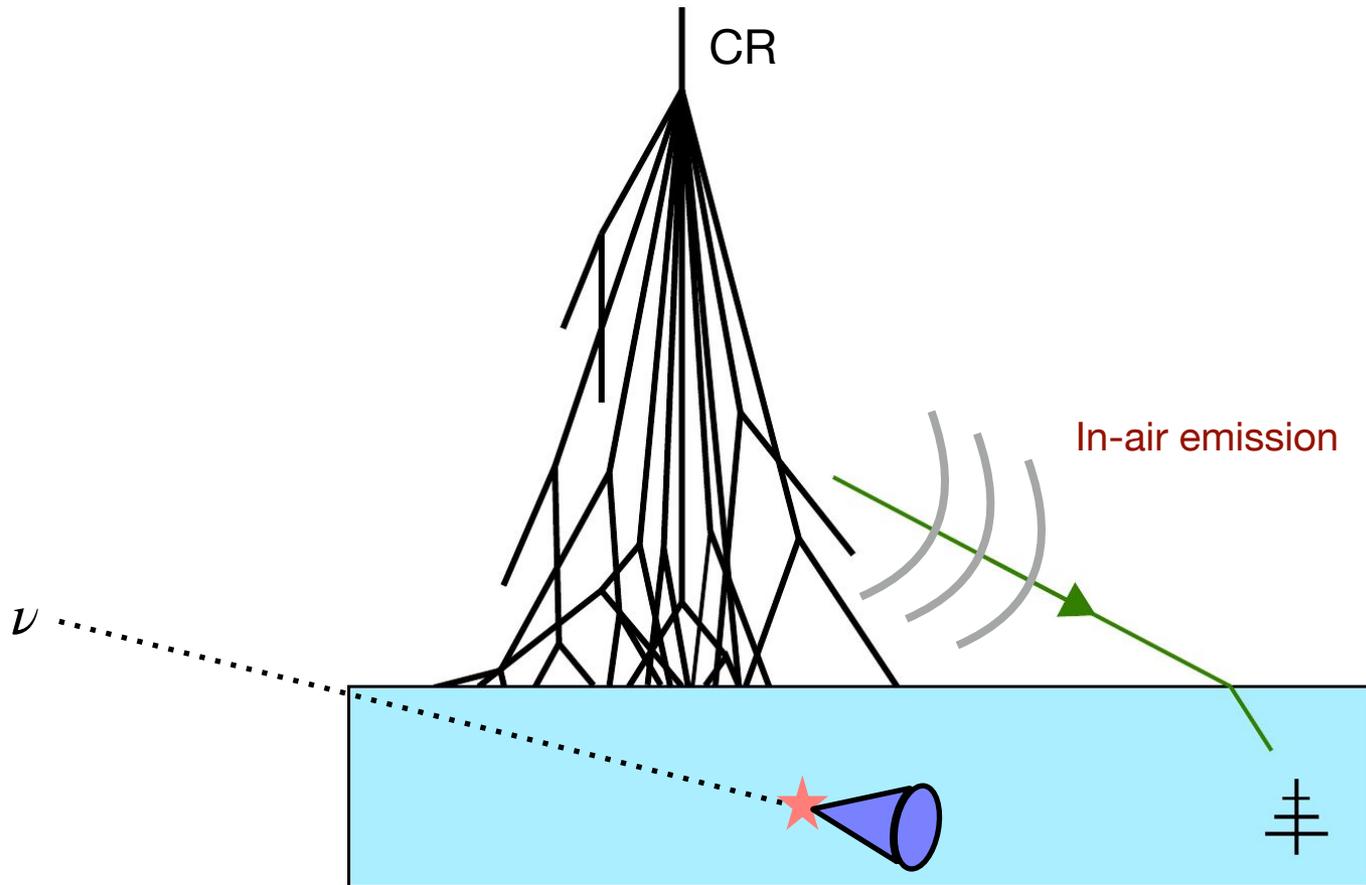
RNO-G (Greenland)



In-ice radio detection: promising technique to detect the first EeV neutrinos

In-ice radio emission from cosmic-ray air showers

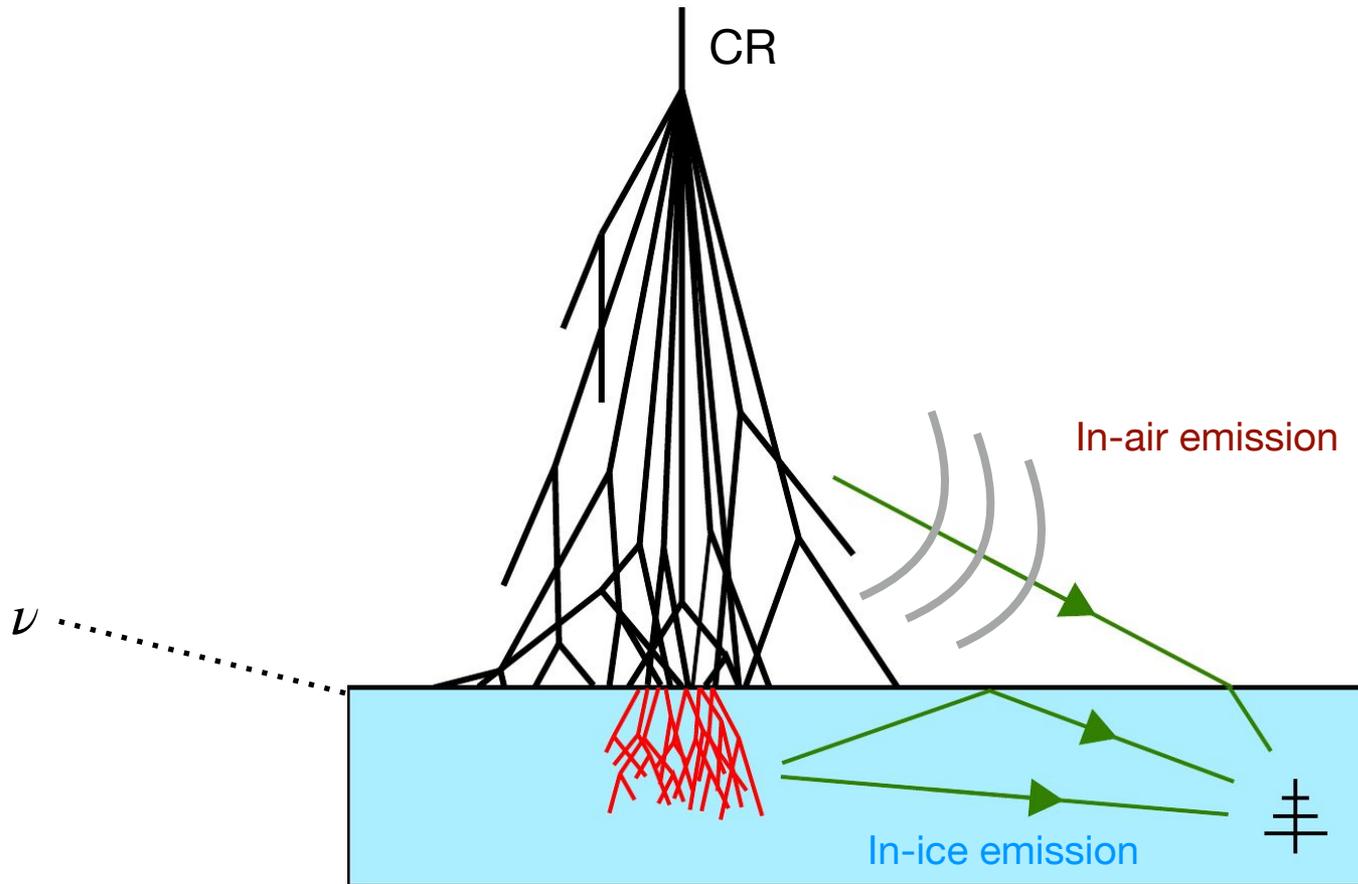
Radio emission of cosmic-ray air showers can also reach the deep antennas



credits:
Simon de Kockere

In-ice radio emission from cosmic-ray air showers

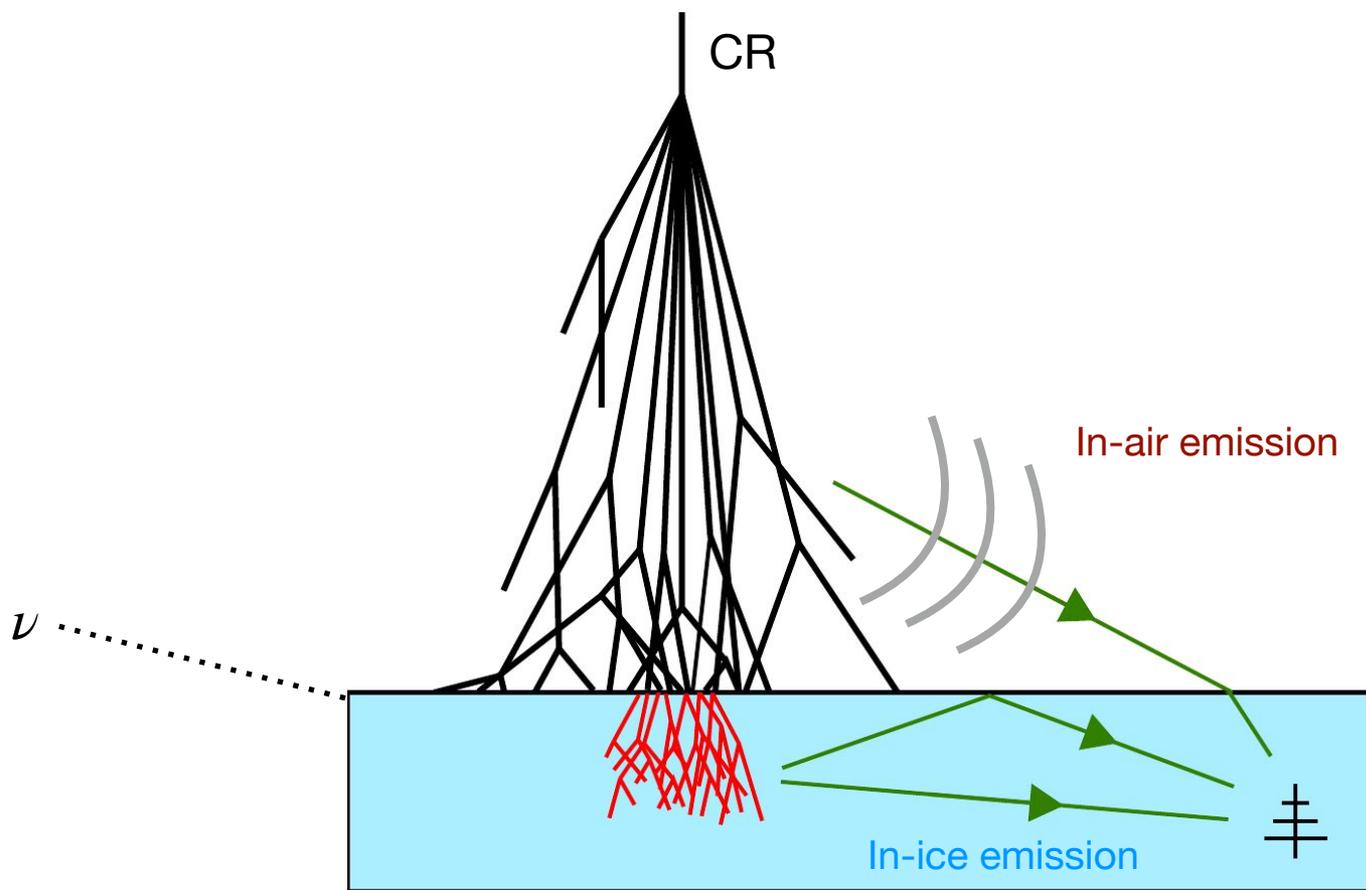
Radio emission of cosmic-ray air showers can also reach the deep antennas



credits:
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In-ice radio emission from cosmic-ray air showers

Radio emission of cosmic-ray air showers can also reach the deep antennas

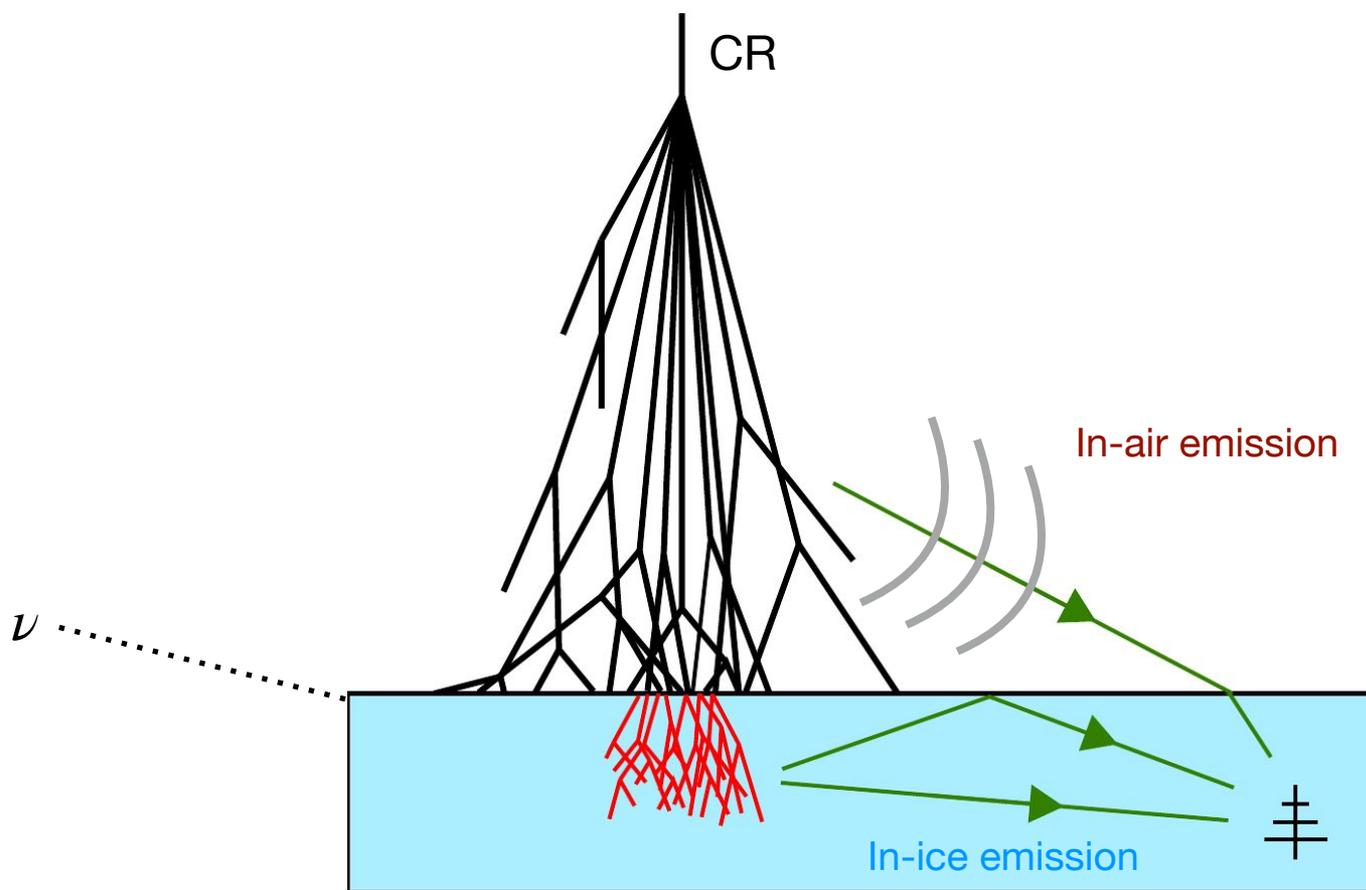


credits:
Simon de Kockere

The cosmic-ray flux should be much larger than the neutrino flux:

In-ice radio emission from cosmic-ray air showers

Radio emission of cosmic-ray air showers can also reach the deep antennas



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Simon de Kockere

The cosmic-ray flux should be much larger than the neutrino flux:

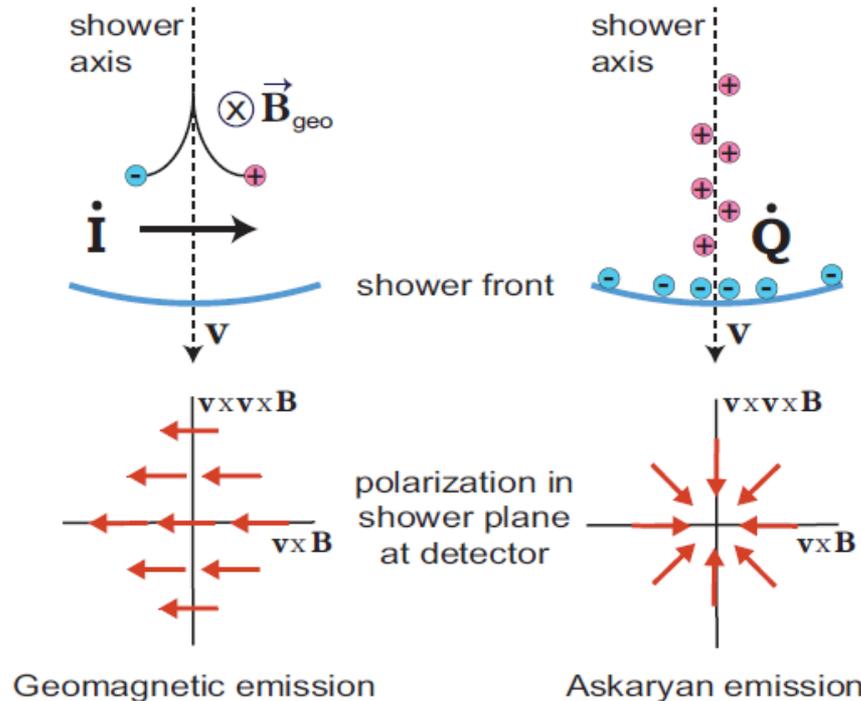
- Cosmic-ray detection would validate in-ice radio detection principle
- Cosmic-ray/neutrino discrimination is needed to ensure successful neutrino detection

Radio emission from air showers

2 main sources for the radio emission

Geomagnetic emission

- Induced dipole with \vec{B}_{geo}
- Polarisation along $-\mathbf{v} \times \mathbf{B}$
- Main contribution to the radio signal



Schröder (2017)

Charge excess emission

- Accumulation of negative charges close to the shower core
- Radial polarisation
- $\approx 10\%$ of the amplitude of the total emission for vertical air showers

In-air cascade: Geomagnetic + Askaryan**In-ice cascade:** Askaryan only**Polarisation results from the coherent sum between both emissions**

How to simulate both the in-air and in-ice emission from cosmic-ray showers?



FAERIE: Combination of CORSIKA and Geant Monte-Carlo codes

(De Kockere et al., 2024 [2403.15358])

In air

- Particle cascade with CORSIKA 7.7500
- Radio emission with CoREAS

In ice

- Particle cascade with Geant4 10.5
- Radio emission with code from the T-510 experiment (radio detection in dense medium)
(Belov et al., 2015 [1507.07296])

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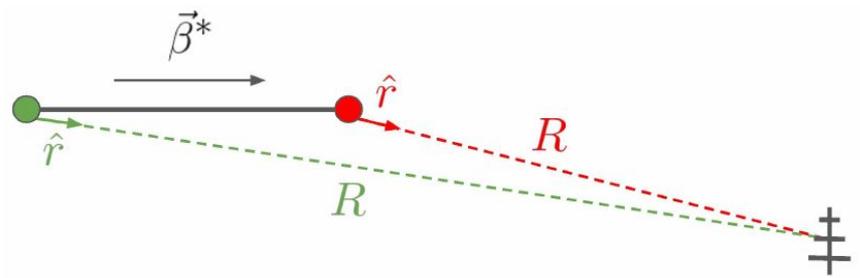
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In both cases radio emission computed using **Endpoint formalism**:

$$\vec{E}_{\pm}(\vec{x}, t) = \pm \frac{1}{\Delta t} \frac{q}{c} \left(\frac{\hat{r} \times [\hat{r} \times \vec{\beta}^*]}{|1 - n\vec{\beta}^* \cdot \hat{r}|R} \right)$$



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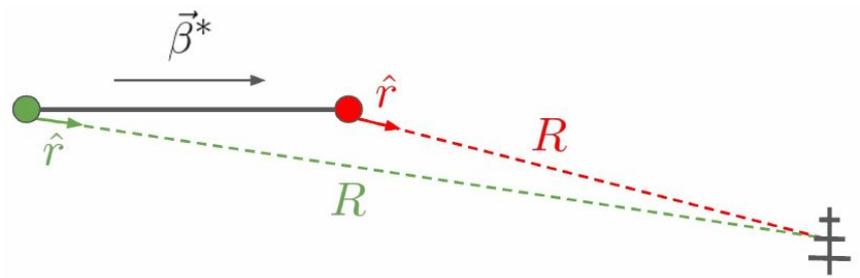
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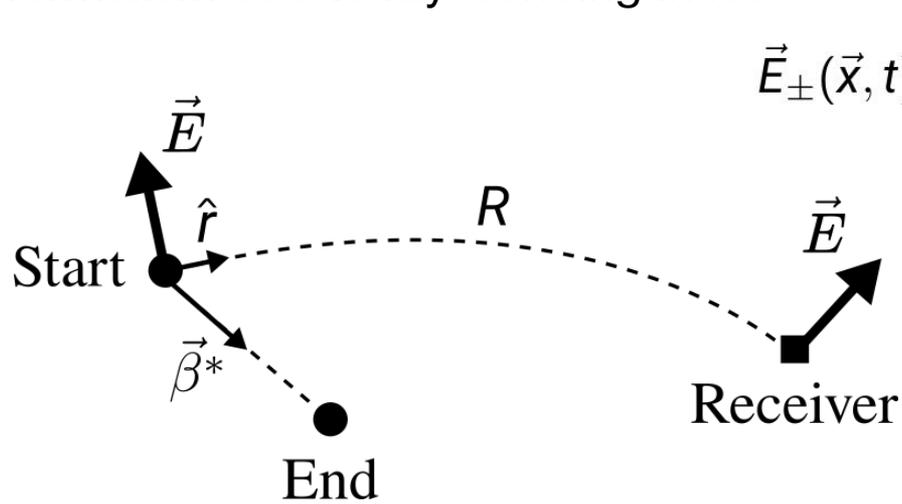
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Endpoint formalism must be modified with ray-tracing to account for the varying refractive index in ice

See talk from Dieder

Modified Endpoint formalism due to ray-bending in ice

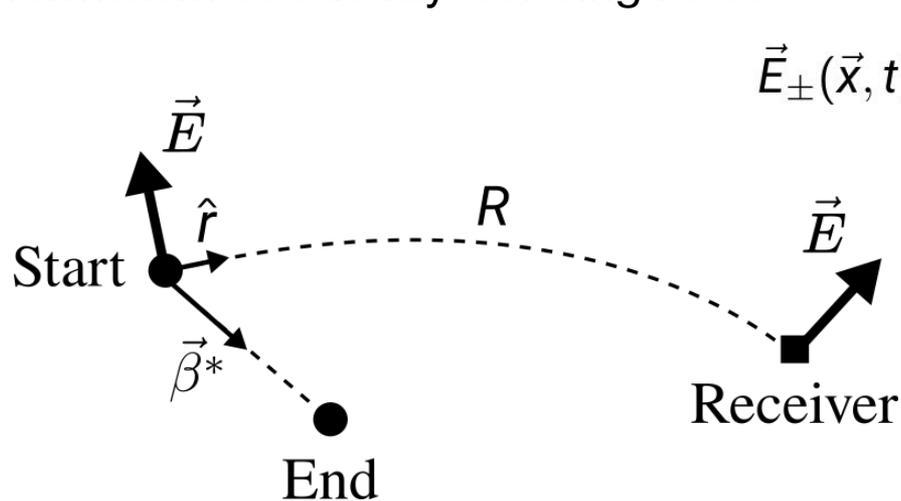


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Ray-tracing

See talk from Dieder

Modified Endpoint formalism due to ray-bending in ice



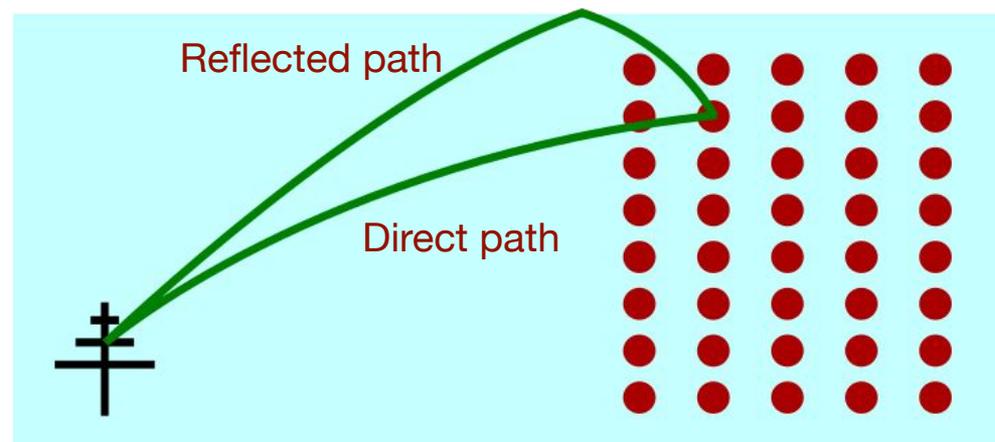
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Ray tracing: What are the paths that goes from a given source point to an observer?

$$\text{Snell-Descartes: } n_1 \sin i_1 = n_2 \sin i_2$$

2 solutions:

- Direct path
- Reflected path



Ice refractive index can be modeled using an exponential profile

$$n(z) = A - B \exp^{-C|z|}$$

South Pole



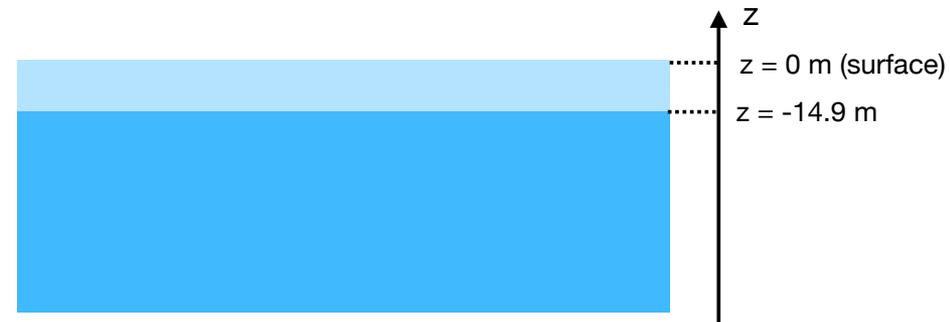
Single exponential model:

Kelley et al., 2018

<https://doi.org/10.22323/1.301.1030>

$$A = 1.775, B = 0.43, C = 0.0132$$

Greenland

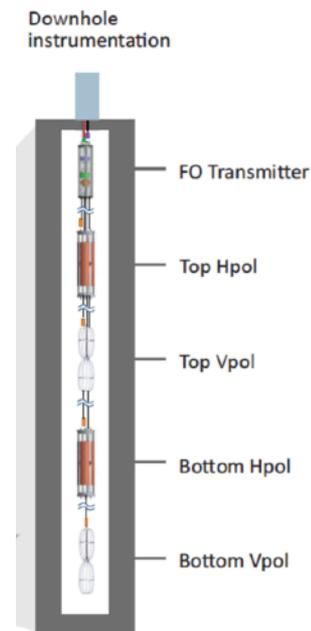
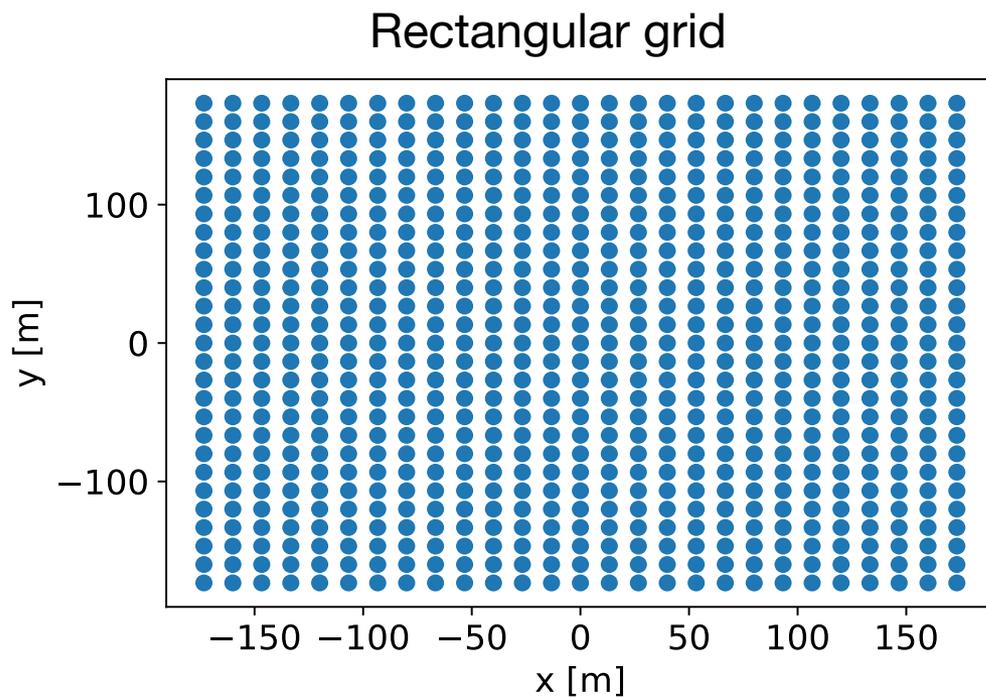


Double exponential model:

(Deaconu et al., 2018)

$$|z| < 14.9 \text{ m} \quad A = 1.775, B = 0.5019, C = 0.03247$$

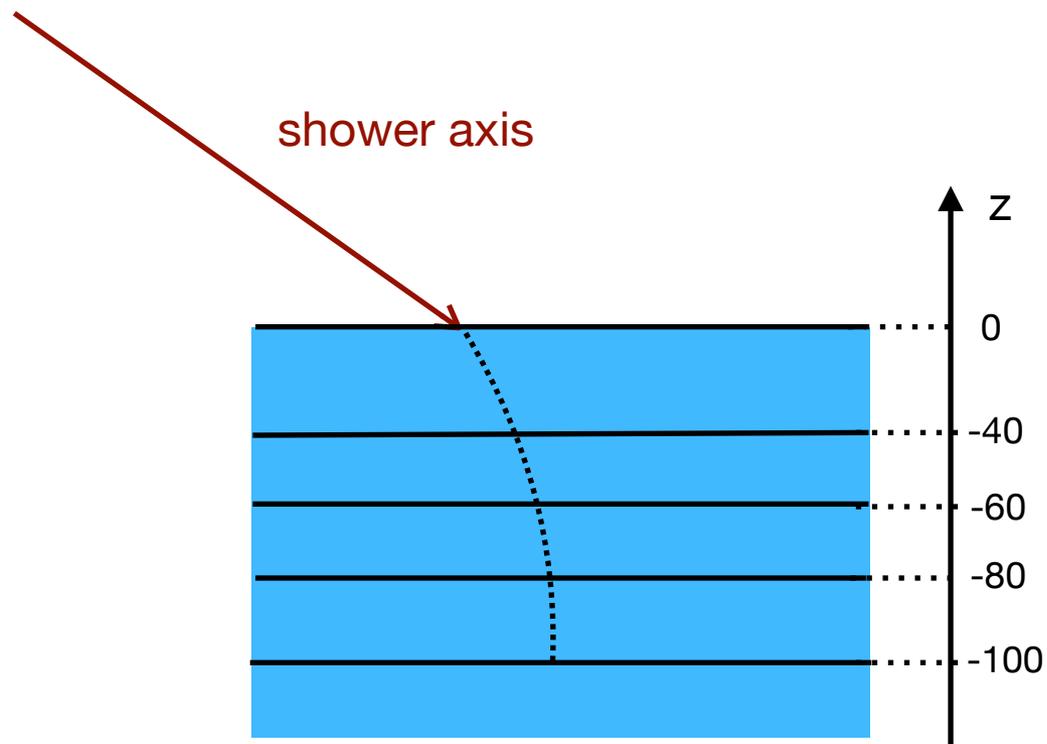
$$|z| > 14.9 \text{ m} \quad A = 1.775, B = 0.448023, C = 0.02469$$



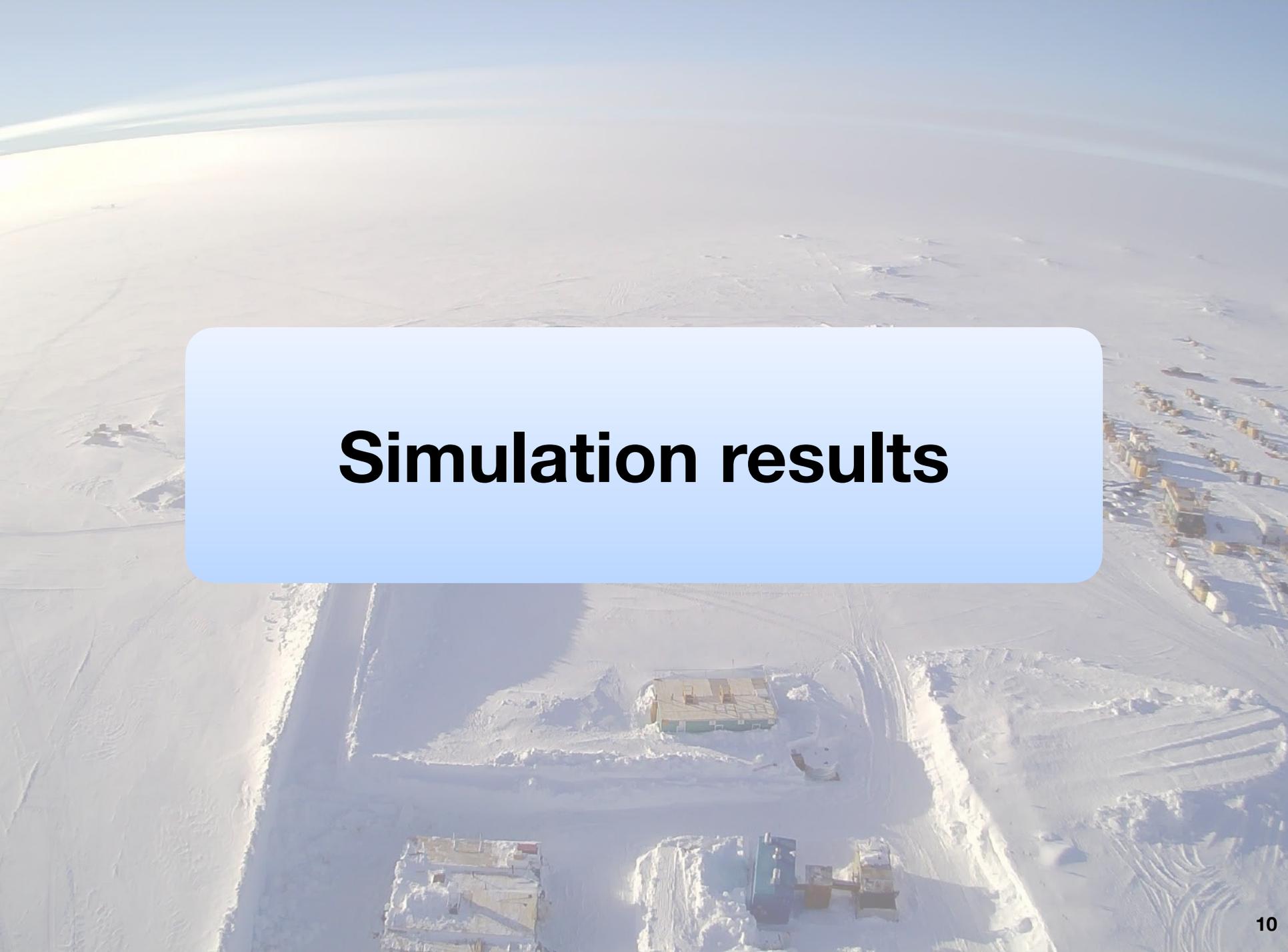
ARA: 12 depths [145-200] m

RNO-G: 5 depths [0, 40, 60, 80, 100] m

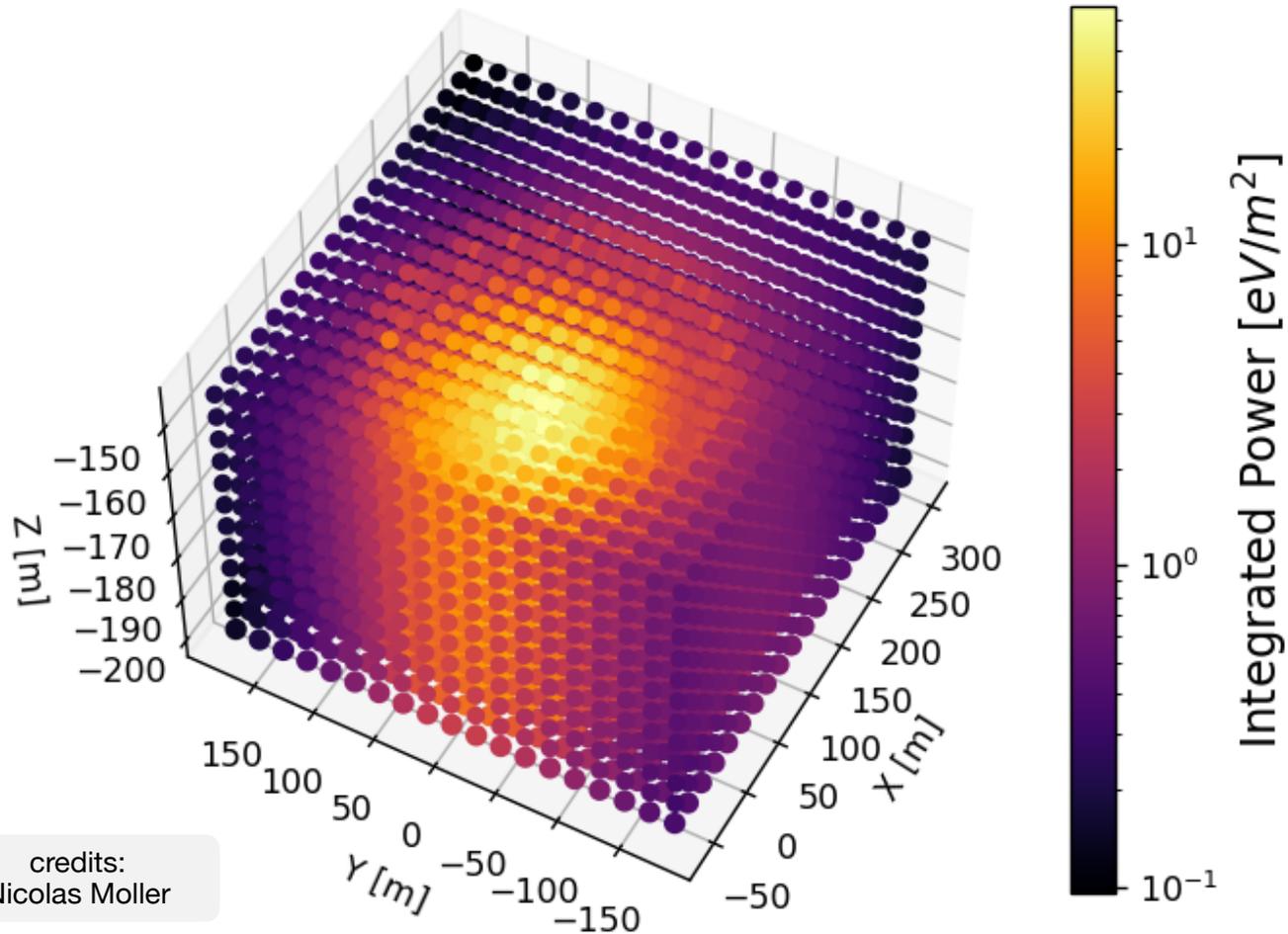
Where to set the antenna positions?



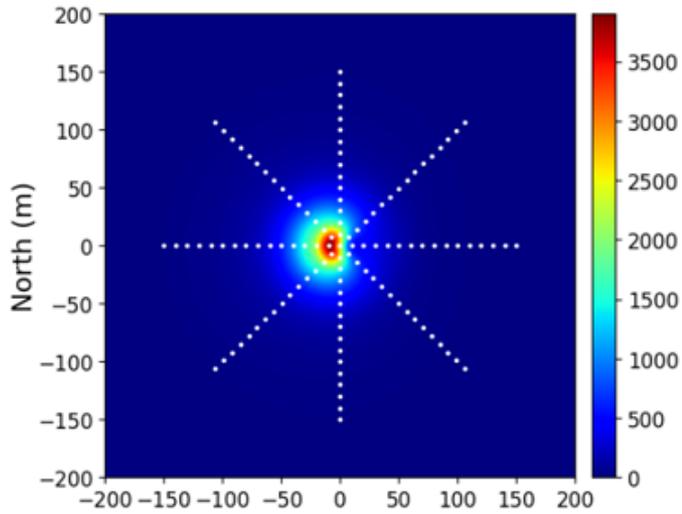
We use ray-tracing so that the « ice-core ray » intersects the center of the layer at $|z| = 100$ m

An aerial photograph of a vast, snow-covered landscape, likely a frozen body of water or a large field. The snow is uneven, with tracks and shadows indicating a winter environment. In the center, a blue rounded rectangle contains the text "Simulation results" in bold black font. The background shows a curved horizon line under a clear blue sky.

Simulation results

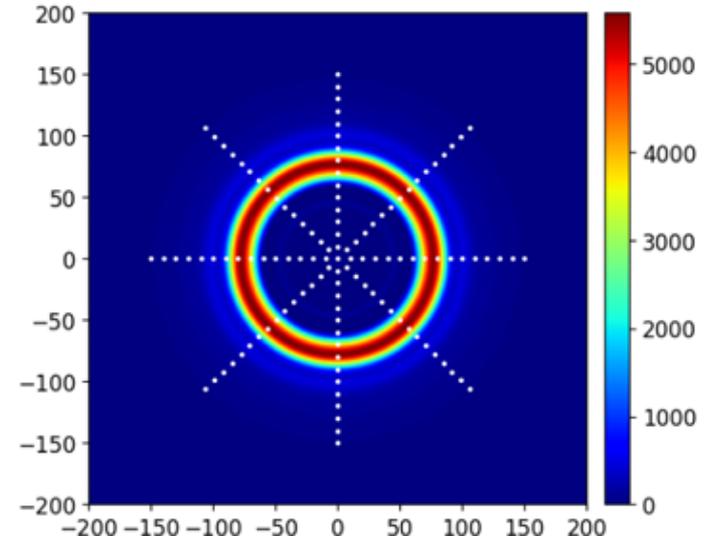
Cubic simulation of a given proton-induced shower at South PolePower Cube ($E=1e17\text{eV}$ & zenith= 20°)

In-air emission

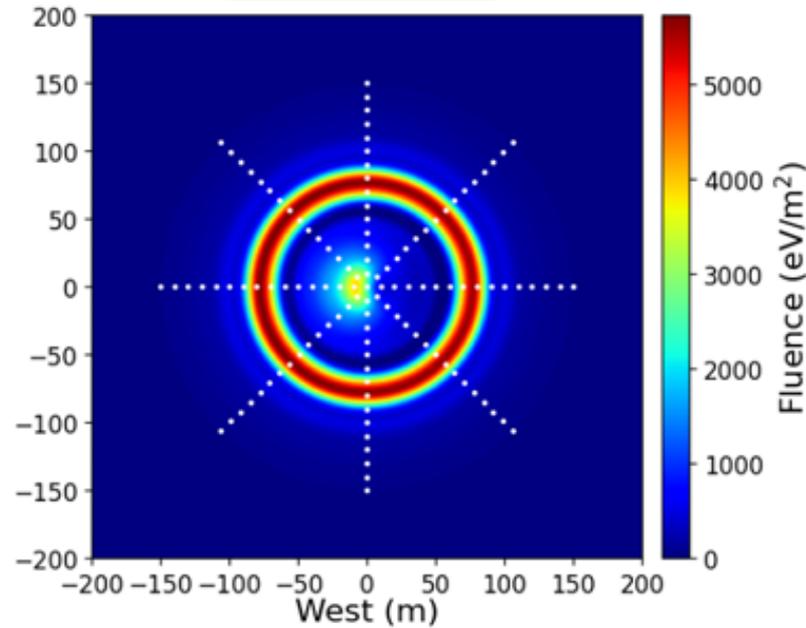


+

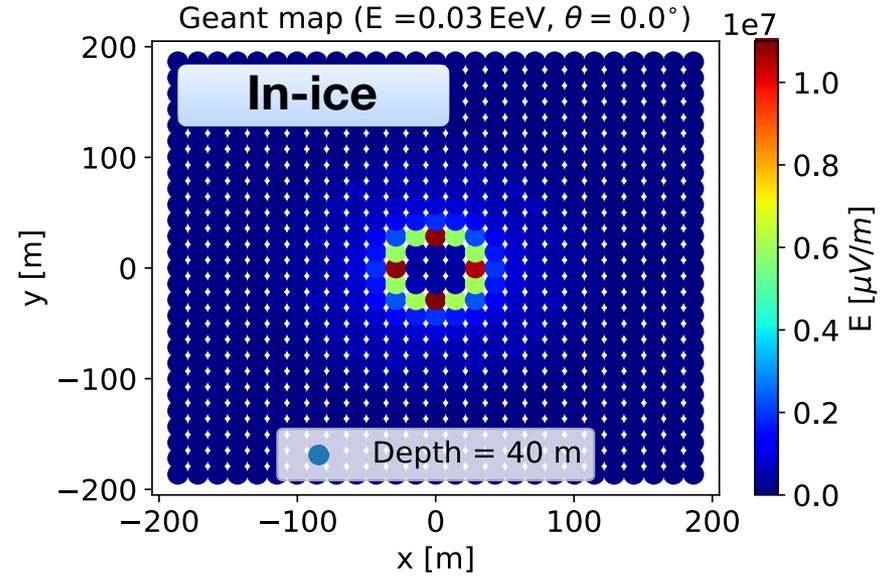
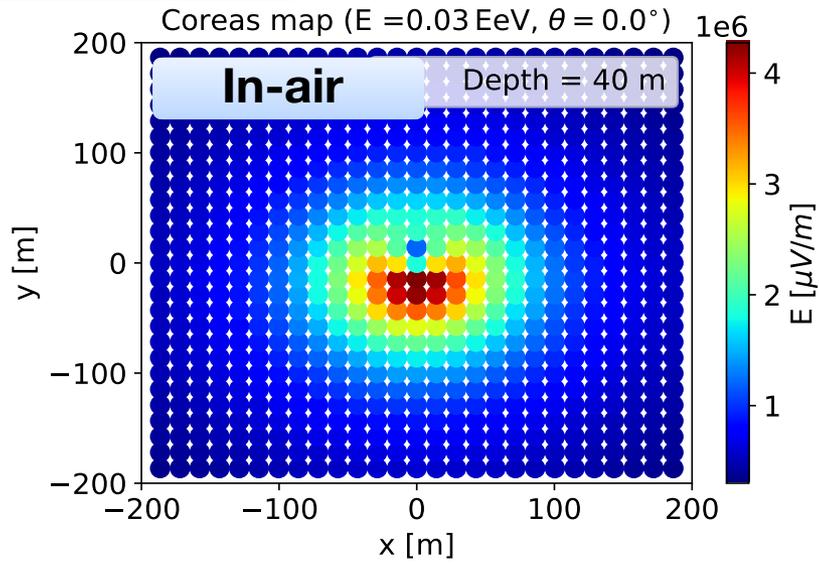
In-ice emission



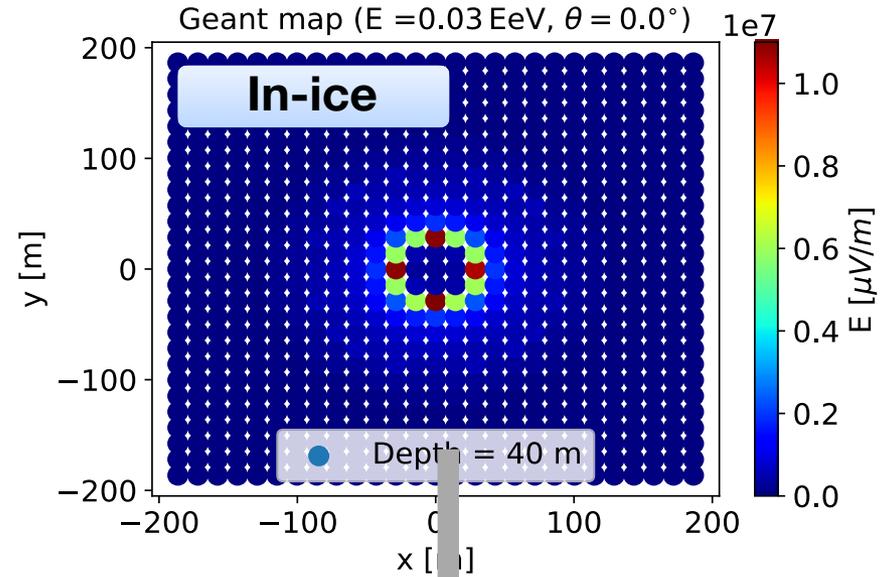
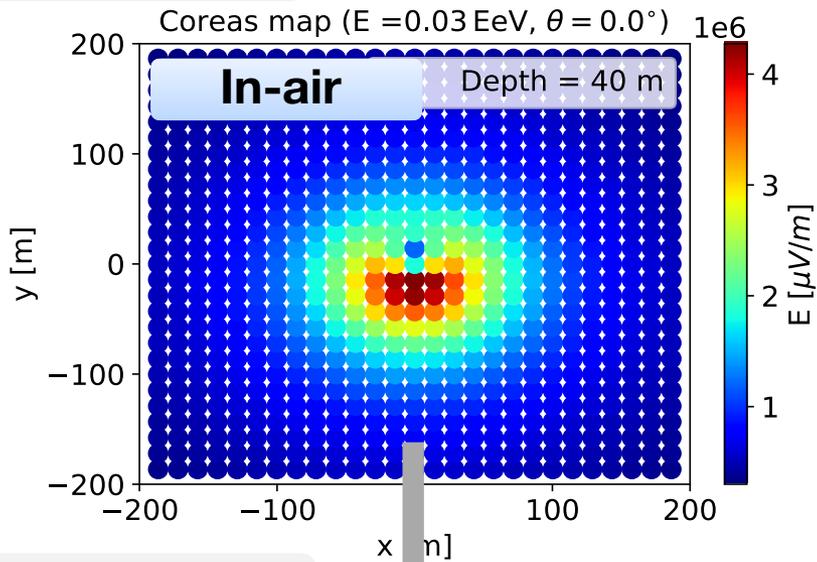
Air + Ice



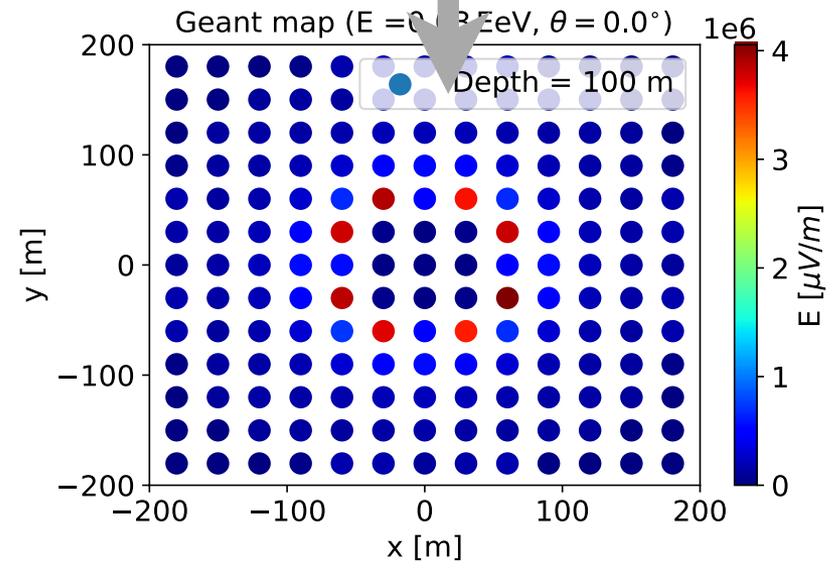
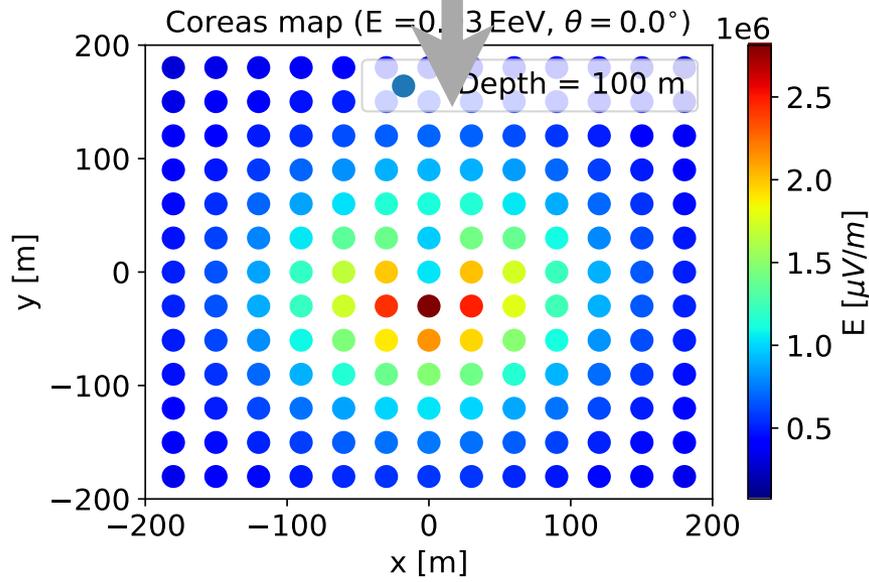
Depth = 40 m

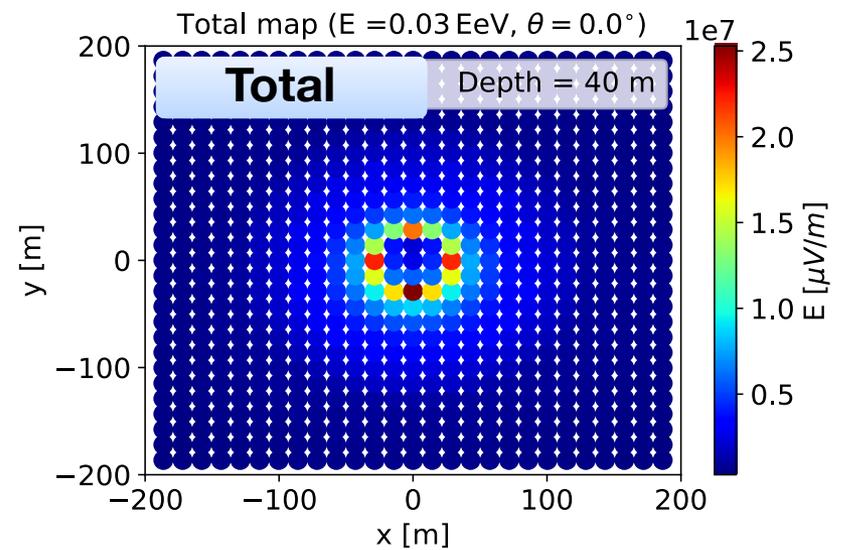
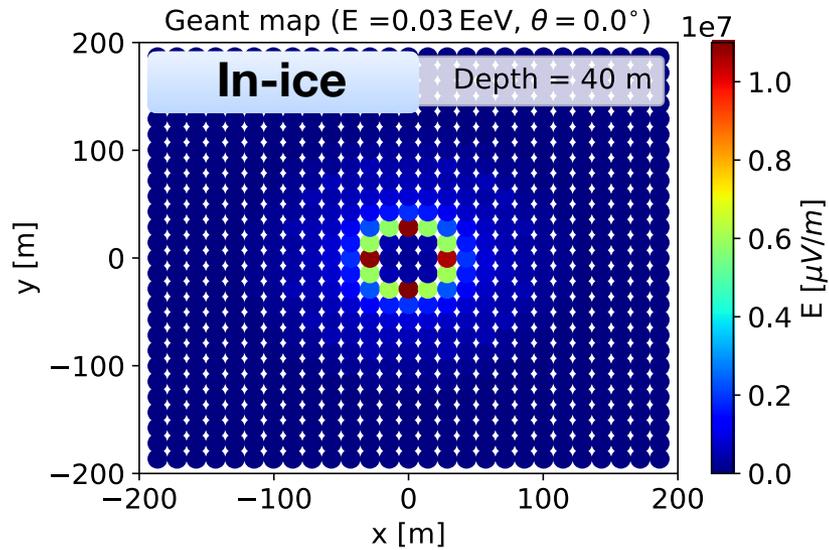


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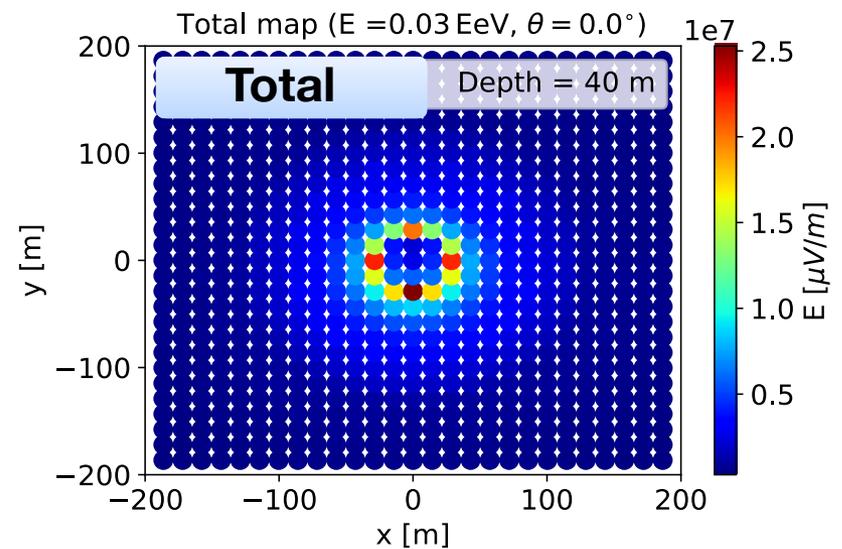
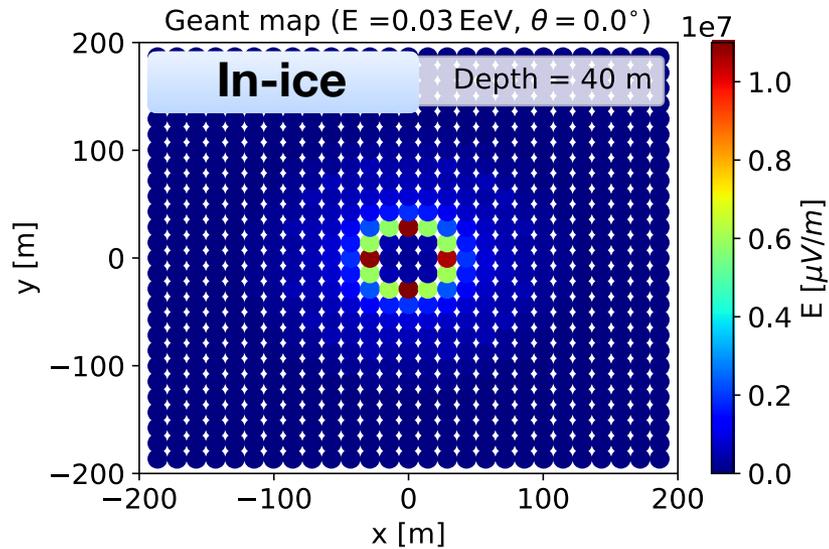


Depth = 100 m

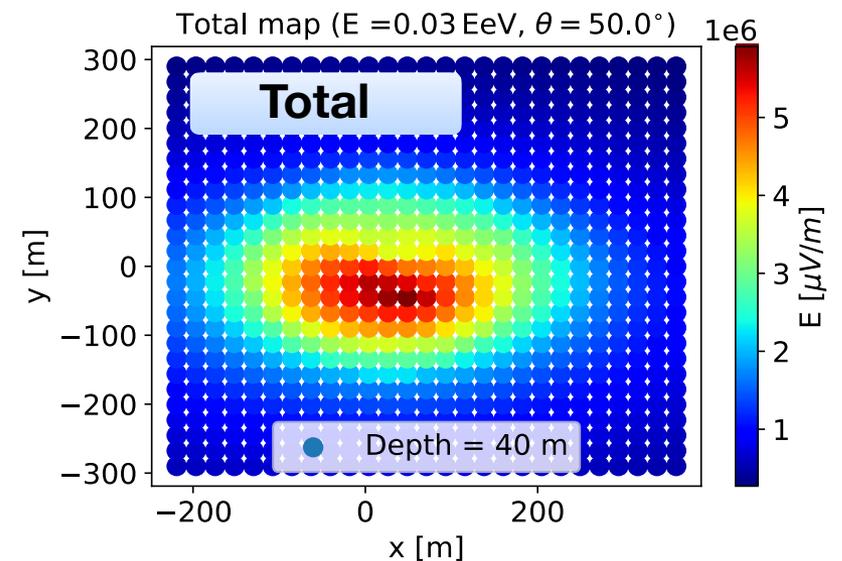
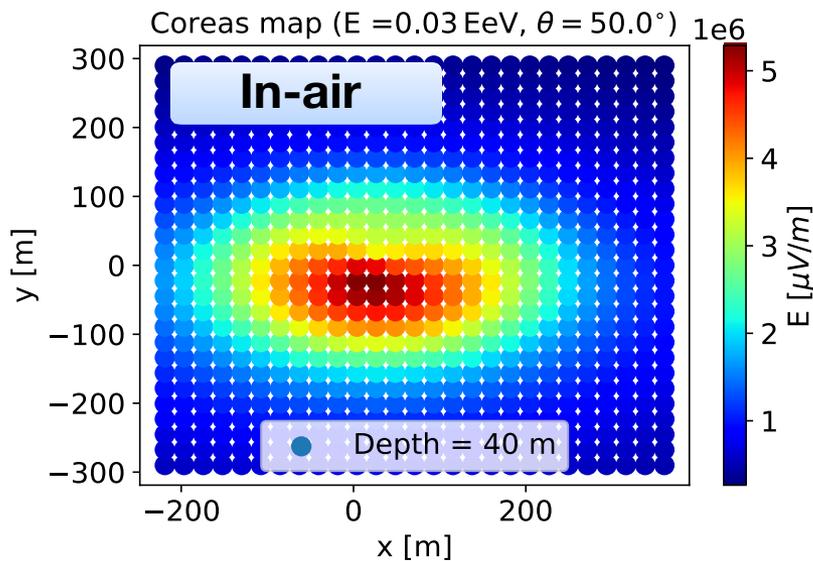


Vertical shower ($\theta = 0^\circ$): significant in-ice emission

Vertical shower ($\theta = 0^\circ$): significant in-ice emission



Inclined shower ($\theta = 50^\circ$): dominant in-air emission



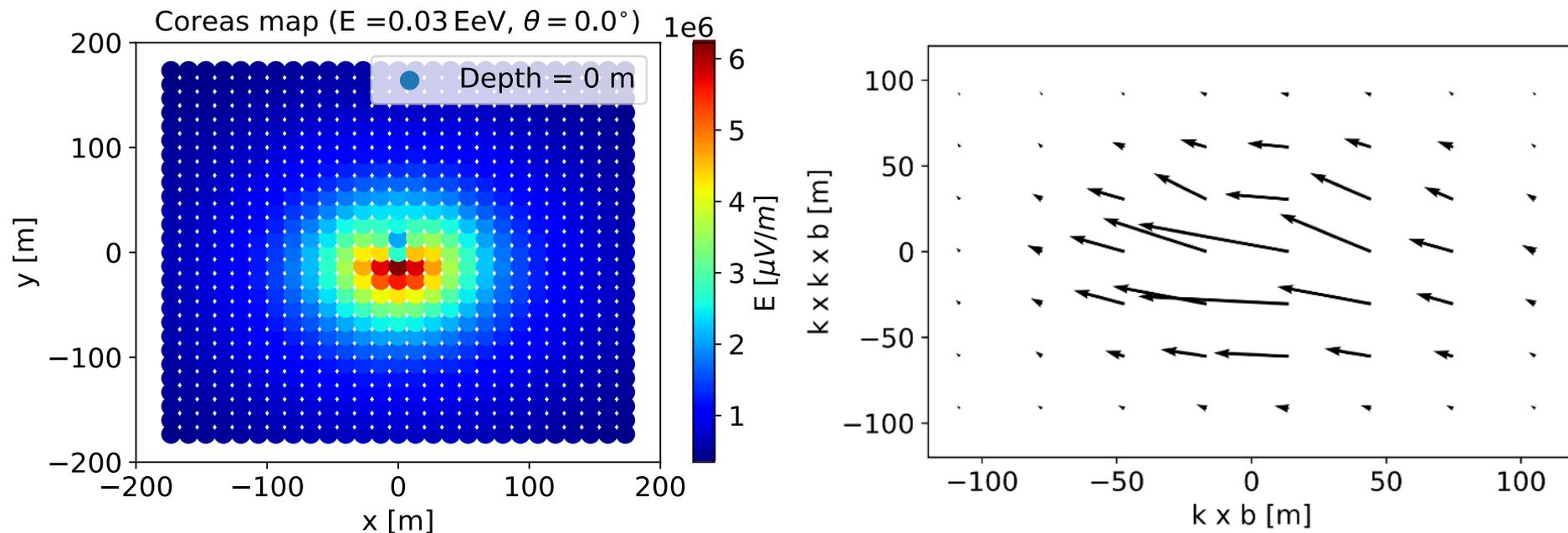
An aerial photograph of a vast, snow-covered landscape under a clear blue sky. The terrain is mostly flat with some tracks and small structures. A prominent blue rounded rectangle is overlaid in the center, containing the text 'Cosmic-ray signatures'.

Cosmic-ray signatures

Surface antennas and polarization

Surface antennas: first proxy for cosmic-ray identification and veto

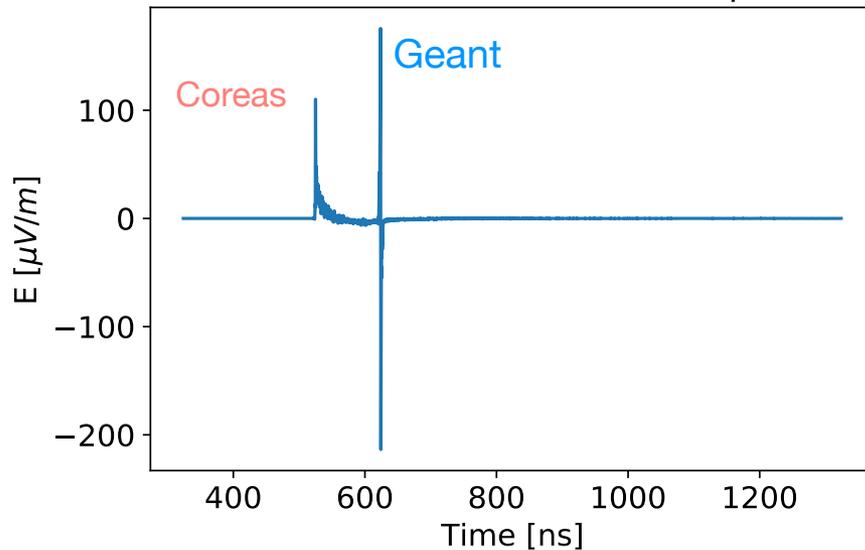
Polarisation: direction of the electric field vector



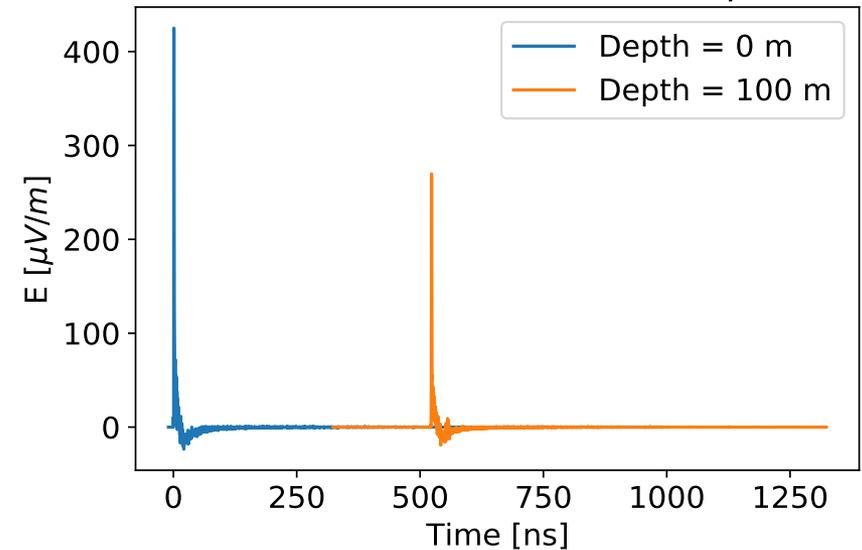
- Bean-shaped fluence pattern (Geomagnetic/Askaryan interferences)
- Linear and \sim unidirectional polarization (dominant geomagnetic emission)

The emission from both the in-air and in-ice cascades can sometimes reach the same antennas

Proton $E = 0.01$ EeV - $\theta = 0^\circ$ $\phi = 0^\circ$



Proton $E = 0.032$ EeV - $\theta = 0^\circ$ $\phi = 0^\circ$



Valuable signatures for cosmic-ray identification!

We can draw a cosmic-ray event rate from simulations

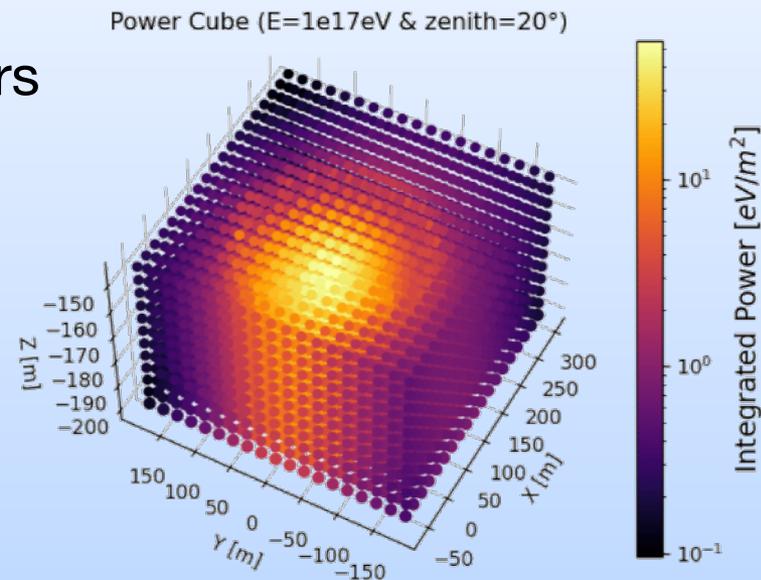
Strategy:

- Run a library of simulations (E, θ, φ)
- Apply scaling factors to interpolate between events
 - Generate random events
 - Detector response and trigger (AraSim/NuRadioMC)
 - Derive the event rate

We can simulate in-ice radio emission from cosmic-ray showers!

Objectives:

- Cosmic-ray event rate for in-ice detectors like ARA and RNO-G
- Identification of cosmic-ray signatures (polarization, fluence pattern, timing...)
- Cosmic-ray/neutrino discrimination



FAQ:

Simulations size?: A few gigabytes at 10^{17} eV

Computation time?:

- In-air emission: $\sim 5 - 10 \text{ h} \times \frac{N_{\text{ant}}}{10 \text{ ant}} \times \frac{\cos(\theta = 0^\circ)}{\cos(\theta)} \times \frac{E}{10^{16.5} \text{ eV}}$ on 1 node
- In-ice emission: $\sim 5 \text{ h} \times \frac{N_{\text{ant}}}{120 \text{ ant}} \times \frac{\cos \theta}{\cos(\theta = 0^\circ)}$ on $20 \times \frac{E}{10^{17} \text{ eV}}$ nodes